

Abstract

-Let R be a commutative ring with unity, let M be an R -module. A non zero submodule N of an R -module M is secondary if for each $r \in R$, $r \notin$ either $rN = N$ or $r^n N = 0$ for some $n \in \mathbb{Z}^+$. In this research, we study the secondary submodule [as a dual notion of primary submodules]. Also we give many properties about this concept. Finally we introduced a weakly secondary submodule [as a generalization of secondary submodule] where a non-zero submodule N of M is weakly secondary submodule when $Nab \subseteq K$, where $a, b \in R$ and K is a submodule of M . implies either $Na \subseteq K$ or $Nb^n \subseteq K$ for some positive integer n .